

	were available. With faster nrczt solvers, you may be able to add some degree of precision to these results (in particular the least precise one: the 0.3% difference between pB-NRCZT and pNRCZT), but, for all the classification results (which is, after all, the main reason for wanting a fast nrczt solver), my samples were already so large that I don't think it will make much difference.
	As for "breaking new ground", I'll take it as an example of your natural modesty. What would be interesting, as I said to Paul long ago, is the full application of the zt-ing principle to the construction of braids(FP) for a family FP of patterns.
	 What I'm not directly interested in: programmers discussions about a 10% increase in speed; if such discussions were about the understanding of whips/braids, instead of implementation, I guess you would have them in the appropriate threads; talks about code that I can't run (such as yours). If there happens to be a final available version of braids that runs correctly, let me know.
	My interest in having a fast implementation doesn't entail that I have to entertain a confusion between the level of mathematics (where I have given and where I can discuss the definitions and proofs) and the level of implementation in C or C++ (in which I have little competency, as I already said). I fear you're often confusing these two levels.
	By definition, a private communication is private. I trust Paul to know this. I know you'd like to have all my data, but as you've already stated that you won't make yours available (your generator of complete grids*, your 3322 tests,), you're not really in a position to ask anything.
	* not that I'm any longer interested. Thanks to gsf, I've found a way to circumvent your lack of cooperation in the controlled-bias generator. And, for me, this topic is closed.
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ronk	D Posted: Mon Nov 23, 2009 2:38 am Post subject:
	denis_berthier wrote:
Joined: 02 Nov 2005 Posts: 2700 Location: Southeastern USA	I appreciate that Allan and you also try to implement whips/braids (although I've seen none of your code). What I'm not directly interested in:
	- talks about code that I can't run (such as yours).
	I know you'd like to have all my data, but as you've already stated that you won't make yours available (your generator of complete grids*, your 3322 tests,), you're not really in a position to ask anything.

	These comments beg the question: Have you made an <i>executable</i> and the <i>source code</i> for SudoRules available or whatever the correct terms are for CLIPS to anyone? If publicly available, links would be appreciated.
	Also, for over a year now I've been wondering what a ratings thread is doing on this <i>Advanced solving techniques</i> forum. Would you please explain it to me?
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denis_berthier	D Posted: Mon Nov 23, 2009 3:21 am Post subject:
	ronk wrote:
Joined: 19 Jun 2007 Posts: 1116 Location: Paris, France	Have you made an <i>executable</i> and the <i>source code</i> for SudoRules available or whatever the correct terms are for CLIPS to anyone? If publicly available, links would be appreciated.
	CLIPS is a free software (inference engine) that anyone can download from the CLIPS website or from sourceforege: http://clipsrules.sourceforge.net/ SudoRules is just the transcription in the CLIPS syntax of the rules I've defined in purely logical terms. My position has always been clear: I don't want to discuss implementation details on this forum and I therefore don't make SudoRules public. If the consequence for you is that you are not interested in nrczt-chains, don't worry, I've never counted you among their defendors.
	ronk wrote:
	Also, for over a year now I've been wondering what a ratings thread is doing on this <i>Advanced solving techniques</i> forum. Would you please explain it to me
	It should be clear if you read the full title of this thread: ordering the rules, i.e. setting priorities between the rules. Also:
	- evaluating the efficiency of the rules, as made concrete by the classification
	- comparing different sets of rules.
	All this is obviously about rules and not about puzzles.
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Red Ed	D Posted: Mon Nov 23, 2009 9:19 am Post subject:
	denis_berthier wrote:
Joined: 06 Jun 2005 Posts: 1000	What I'm not directly interested in: - programmers discussions about a 10% increase in speed; if such discussions were about the understanding of whips/braids, instead of implementation, I guess you would have them in the appropriate threads;



	Whoosh! I'm picturing an Exocet flying directly over your head. 😅
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denis_berthier	Dested: Wed Nov 25, 2009 10:09 pm Post subject:
	ronk wrote:
Joined: 19 Jun 2007 Posts: 1116	Whoosh! I'm picturing an Exocet flying directly over your head. Θ
Location: Paris, France	What a nicely refreshing breeze 😁
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denis_berthier	Dested: Wed Dec 30, 2009 12:49 am Post subject:
Joined: 19 Jun 2007 Posts: 1116 Location: Paris, France	FURTHER QUESTIONS ABOUT RATING AND CLASSIFICATION
	REFERENCES If you don't know what the following words mean in my approach, this is not the place to ask or to discuss them. See my website (recently reorganised) or the relevant threads of this forum:
	nrczt-whip nrczt-braid NRCZT-rating classification results
	zt-ing principle whip(FP) braid(FP) scope of braid(FP) T&E(FP) vs braid(FP) theorem
	<pre>PRELIMINARIES A resolution rule is written as: pattern ==> elimination (or assertion) Given a family FP of patterns associated with resolution rules, I have defined zt- whips(FP) and zt-braids(FP). They are conceptually simple generalisations of ordinary whips and braids, in which a pattern from the FP family can be used as a right-linking object instead of a mere candidate. For instance, if FP = Basic Interactions (BI), whips(BI) and braids(BI) are merely grouped-whips or grouped-braids, in the sense that their right-linking objects can be the elements of a segment instead of mere candidates. (segment = intersection block with row or intersection block with column). A whip, a braid, a whip(FP) or a braid(FP) is a linear oriented structure.</pre>

Moreover, a whip or a whip(FP) satisfies the nrc-continuity condition. Whips can therefore be called nrc-continuous-sequential and they can be preferred to braids. Braids still have to keep some sequentiality but may have some branching on their right-linking candidates/patterns.

But braids have a theoretical advantage: the braid(FP) vs T&E(FP) theorem, which allows easier computations of their scope.

Given a family FP of patterns, it is called the generating family of the whips(FP) and the braids(FP).

INCREASING SEQUENCES OF FAMILIES OF PATTERNS

Consider an increasing sequence of families of patterns FP0, FP1, FP2,... Here, increasing is to be understood in the set theoretic sense: FP0 included in FP1, FP1 included in FP2, ...

We have increasing families of whips whips(FP0), whips(FP1), whips(FP2),... and of braids whips(FP0), whips(FP1), whips(FP2),... It means that we have whips with more and more complex right-linking objects.

If each of the FPi families is closed under symmetry and super-symmetry, then this is also the case for each of the whips(FPi) and braids(FPi).

Here are natural examples.

```
Example 1:
FP0 = Singles (Naked + Hidden)
FP1 = FP0 + Basic Interactions = FP0 + NRCZT[1]
FP2 = FP1 + Subsets2, where Subsets2 = Pairs (Naked, Hidden and Super-
Hidden - i.e. XWing)
FP3 = FP2 + Subsets3, where Subsets3 = Triplets (Naked, Hidden and Super-
Hidden - i.e. Swordfish)
FP4 = FP3 + Subsets4, where Subsets4 = Quads (Naked, Hidden and Super-
Hidden - i.e. Jellyfish)
. . .
Example 2:
GP0 = FP0
GP1 = FP1
GP2 = FP2 + finned-XWing
GP3 = GP2 + finned-Swordfish
GP4 = GP3 + finned-Jellyfish
. . .
Example 3:
HPO = FPO
HP1 = FP1
HP2 = HP1 + whips[2]
HP3 = HP2 + whips[3]
HP4 = HP3 + whips[4]
HPn+1 = HPn + whips[n]
```

Example 4: same as 3, but with braids instead of whips

Example 5: KP0 = FP0 KP1 = FP1 KP2 = KP1 + whips[2] + Subset2 KP3 = KP2 + whips[3] + Subset3 KP4 = KP3 + whips[4] + Subset4 KP5 = KP4 + whips[5] ... KPn+1 = KPn + whips[n]

Example 6: same as 5, but with braids instead of whips

Notice that in all these examples:

- whips(FP0) or braids(FP0) are mere nrczt-whips or nrczt-braids
- whips(FP1) or braids(FP1) are mere grouped-whips or grouped-braids.

Given an increasing sequence FPi, whips(FPi) or braids(FPi) can obviously solve increasing sets of puzzles.

LENGTH OF A WHIP(FP) OR A BRAID(FP)

If all the patterns in FP have a well defined size*, then one can define in an obvious way the length of a whip(FP) or a braid(FP) as the sum of the sizes of its right-linking objects.

* which is the case for all the examples above:

1 for NS,HS, BI, 2 for patterns in Subset2, 3 for patterns in Subset3, 4 for patterns in Subset4

size = length for an ordinary whip or braid

Remember that these sizes have been defined in order to respect the subsumption theorems and quasi-subsumption results, so that two interpretations of the same structure (e.g. as a Triplet or as a whip[3]) have the same size.

SEQUENCE OF RATINGS ASSOCIATED WITH AN INCREASING SEQUENCE OF FAMILIES OF PATTERNS

Given any family of patterns FP, it is easy to define the whip(FP) rating - resp. the braid(FP) rating - of any puzzle P wrt to FP as the smallest n such that P can be solved with whips(FP) - resp. braids(FP) - no longer than n. If the puzzle can't be solved by whip(FP) - reps. braids(FP) - the corresponding rating is set to + infinity.

Given any increasing sequence FPi, for any puzzle P, one gets a decreasing sequence of ratings whip(FP0)-rating > whip(FP1)-rating > whip(FP2)-rating,... and similarly for braids

Notice also that all these ratings:

- are defined in purely logical terms, independent of any implementation,
- are stable under symmetry and super-symmetry whenever the FPi families are.

ABSOLUTE RATING

This is inspired by **Allan**'s ideas about an absolute rating and may have to be revised if he proposes a better definition.

Define AR(P) - A for "absolute" or for "Allan" - as the smallest n such that P can be solved using only Allan's diagrams with at most n 2D-cells (n Truths). Obviously, AR(P) is smaller than any of the previously defined ratings.

KNOWN RESULTS

My previous results have shown that there are two complementary aspects of the complexity of a puzzle: the length of the whips/braids necessary to solve it and the type of these whips/braids (i.e. of their inner right-linking patterns).

Mere nrczt-whips have solved all the puzzles in various randomly generated samples totaling \sim 10,000,000 puzzles. They fail to solve only exceptionally hard puzzles. This is important as it shows that the NRCZT-rating is finite for almost all the puzzles.

Remember that (taking FP = braids themselves) braids(braids) can solve all the known puzzles. But the results here

(http://www.sudoku.com/boards/viewtopic.php?

t=6390&postdays=0&postorder=asc&start=43 and next post) show that a family FP much simpler than braids is enough.

OPEN QUESTIONS

Here are three types of (hard) questions corresponding to different goals.

Question type 1: Given an increasing sequence FPi, how does the whip(FPi)rating or braid(FPi)-rating of a puzzle P vary with i?

We know that this rating is bounded from above by nrczt-rating(P) and from below by AR(P).

I think that:

- most of the time (say for more than 99% of the puzzles), for random samples, nrczt-rating(P) = AR(P), which would completely solve the question for these puzzles; this can easily be tested (e.g. on the Sudogen0_1M collection) if **Allan** can compute the AR rating;

- for some hard puzzles, there may be a noticeable difference between e.g. the nrczt-rating and the whip(FP4)-rating (FP4 defined above).

Question type 2: Given a collection of puzzles, how does the number of puzzles solved by whips(FPi) or braids(FPi) increase with i?

This question is independent of ratings. It deals only with inner patterns necessary to solve a puzzle.

Examples have been given here: http://www.sudoku.com/boards/viewtopic.php? t=6390&postdays=0&postorder=asc&start=44 for gsf's collection.

Collections of reference should include exceptionally hard puzzles and can't

	therefore be random. As of this writing, I know only 2: gsf's and Tarek's Pearly6000 (recently signaled to me by Paul). I plan to do with the Pearly the same thing as I did with gsf's.	
	The question about braids can be dealt with thanks to the T&E theorem, as in the above mentioned post.	
	The question about whips can be dealt with thanks to Paul 's program, for some families FP. (The exact length of the whips(FP) doesn't have to be known).	
	Question type 3 : Find a family FP of simple patterns such that whips(FP) or braids(FP) solve all the known puzzles.	
	Here the goal is to find the simplest family FP. The already mentioned results suggest that it shouldn't be too hard (at least for braids).	
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