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THE REAL DISTRIBUTION OF MINIMAL PUZZLES Goto page <u>Previous</u> 1, 2, 3 , 16, 17, <u>18</u> <u>Next</u>				
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Author	Message			
eleven	DPosted: Sun Sep 20, 2009 3:18 pm Post subject:			
	denis_berthier wrote:			
Joined: 10 Feb 2008 Posts: 474	Do we conclude that no optimisation work is underway?			
	You can, as far as i am concerned.			
	To say it with your words: "What exactly do we expect of it?". You have found 16 random 30's in months using heavy CPU power. Thus now you can build a collection of i guess 526 random puzzles. With a lot of effort this can be made 5 times faster. Then - provided the CPU'S - you can calculate about 10000 random puzzles in a year. Thats not worth for me to invest any time.			
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denis_berthier	DPosted: Sun Sep 20, 2009 4:53 pm Post subject:			
	eleven wrote:			
Joined: 19 Jun 2007 Posts: 814	To say it with your words: "What exactly do we expect of it?".			
Location: Paris, France	I can't speak for the others, but what I'm expecting is clear: - the real (i.e. unbiased) distribution of clues of minimal puzzles; - something I didn't expect when I started this thread: the real distribution of (SER or NRCZT) complexities for minimal puzzles with n clues (n fixed): I know now that it depends on how these puzzles were generated; - the real distribution of (SER or NRCZT) complexities for minimal puzzles, by combining the previous two results.			
	Your estimations of the number of puzzles generated as of now are not correct.			
	See my web pages for the current situation.			
	eleven wrote:			
	With a lot of effort this can be made 5 times faster.			
	I think this is a very optimistic estimation.			
	My conclusion is that I let suexg-cb run a little longer.			

Sudoku Players' Forums :: View topic - THE REAL DISTRIBUTION OF MINIMAL PUZZLES

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Red Ed	D Posted: Sun Sep 20, 2009 8:59 pm Post subject:
Joined: 06 Jun 2005 Posts: 715	denis_berthier wrote: eleven wrote: With a lot of effort this can be made 5 times faster. I think this is a very optimistic estimation.
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David P Bird	DPosted: Sun Sep 20, 2009 9:23 pm Post subject:
Joined: 17 Sep 2008 Posts: 139 Location: Middle England	 Denis, It appears RE isn't responding to you because you called him by the wrong name and to me because I don't count. In light of this perhaps you would be so kind as to put me right on this question I put to him: David P Bird wrote: Secondly in Scheme II it is possible to reach the stage where all cells are tagged 'Required' or 'Not Required' and we actually know the target minimum set we hope to find by chance. However, as we know the numbers of each, we can also accurately calculate what the chances are for actually hitting that target. Would there be a way to use that information to add a result to the accumulated list without invalidating the clue distribution that's produced? If that is possible then the time savings would be even
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Red Ed	Deposted: Sun Sep 20, 2009 9:33 pm Post subject:
Joined: 06 Jun 2005 Posts: 715	DPB, lighten up. I've been busy.
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David P Bird	Denosted: Sun Sep 20, 2009 9:43 pm Post subject:
Joined: 17 Sep 2008 Posts: 139 Location: Middle England	ı @ н @ н @ н
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JPF	Posted: Sun Sep 20, 2009 11:48 pm Post subject:
Joined: 07 Dec 2005 Posts: 2855	denis_berthier wrote: I can't speak for the others, but what I'm expecting is clear:

Location: Paris, France	 something I didn't expect when I started this thread: the real distribution of (SER or NRCZT) complexities for minimal puzzles with n clues (n fixed): I know now that it depends on how these puzzles were generated; the real distribution of (SER or NRCZT) complexities for minimal puzzles, by combining the previous two results.
	 Some comments : the <u>real</u> distribution of (SER or NRCZT) complexities for minimal puzzles is a <u>real</u> series of numbers , not to be mixed up with their estimations. Therefore, the real distribution has nothing to do with the way the puzzles are generated. the (estimation of the) correlation between the number of clues and the complexity as defined here (SER,) seems extremely weak. So, I don't see why combining the two first results could give a better estimation of the third one.
	one could calculate the ratio of "all singles" puzzles over the number of puzzles.
	JPF
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denis_berthier	DPosted: Mon Sep 21, 2009 4:13 am Post subject:
	JPF wrote:
Joined: 19 Jun 2007 Posts: 814	denis_berthier wrote:
Location: Paris, France	I can't speak for the others, but what I'm expecting is clear: - the real (i.e. unbiased) distribution of clues of minimal puzzles; - something I didn't expect when I started this thread: the real distribution of (SER or NRCZT) complexities for minimal puzzles with n clues (n fixed): I know now that it depends on how these puzzles were generated; - the real distribution of (SER or NRCZT) complexities for minimal puzzles, by combining the previous two results.
	Some comments :
	- the <u>real</u> distribution of (SER or NRCZT) complexities for minimal
	estimations.
	Therefore, the real distribution has nothing to do with the way the puzzles are generated.
	You're right, my formulation was loose. I was of course speaking of estimations. What I meant is that the real distribution of (SER or NRCZT) complexities for n- clue minimal puzzles, n fixed, which we don't know but can estimate from a random sample, depends in fact on how (by which kind of "random" generator) the sample was generated (sampling errors put aside). This should be obvious but we thought that the bias was mainly due to the number of clues; the examples on my website or the full bottom-up generator in the "rating" thread show that this expectation doesn't hold.
	JPF wrote:
	the complexity as defined here (SER,) seems extremely weak. So, I don't see why combining the two first results could give a better

estimation of the third one. Combining the distribution of complexities P(c, n) for each n and the distribution NP(n) of the n's is standard probabilistic reasoning. It gives an estimation of the real distribution of complexities CP(c): CP(c) = sum P(c, n) * NP(n)It doesn't depend on correlations. JPF wrote: instead of using SER (and its arbitrary values) as a measure of complexity, one could calculate the ratio of "all singles" puzzles over the number of puzzles. My main measure of complexity is not the SER, but the purely logical NRCZT. The SER is only a statistical approximation, faster to compute and statistically well correlated. I use the SER for a first analysis and I can generally extend the results to the NRCZT. Of course, once we have a controlled-bias sample, we can compute the statistics for any other measure of complexity we want - provided the program for computing this complexity measure is available. Is it the case for the one you're proposing? Last edited by denis_berthier on Mon Sep 21, 2009 6:14 am; edited 2 times in total **Back to top** 🐱 profile) 🚨 pm 🚺 www denis_berthier 🙄 quote 🛛 🖧 edit Dested: Mon Sep 21, 2009 4:17 am Post subject: **David P Bird wrote:** Joined: 19 Jun 2007 Posts: 814 Secondly in Scheme II it is possible to reach the stage where all cells Location: Paris, France are tagged 'Required' or 'Not Required' and we actually know the target minimum set we hope to find by chance. However, as we know the numbers of each, we can also accurately calculate what the chances are for actually hitting that target. Would there be a way to use that information to add a result to the accumulated list without invalidating the clue distribution that's produced? If that is possible then the time savings would be even greater! A more detailed analysis may be needed, but I fear that any use we make of information deduced from the current state will introduce some form of bias. The problem with all these potential improvements is that they are very difficult to analyse formally. The only worth of the controlled-bias algorithm is that it is provably controlled-bias. Loose this property and you can discard it. Another problem I see with all the proposed "improvements" is that they maybe very hard to implement as changes to the existing version of suexg. Though I'm not very qualified in C, I can see that the current implementation isn't straightforward. Last edited by denis_berthier on Mon Sep 21, 2009 6:20 am; edited 1 time in total 🚨 profile) (😹 pm) 🚺 www) **Back to top**

Dested: Mon Sep 21, 2009 6:17 am Post subject:

m_b_metcalf

🔍 quote

	Red Ed wrote:
Joined: 15 May 2006 Posts: 2344 Location: Berlin	Let P80, P79, P78, be the subgrids of some solution grid on a path from 80 to 0 clues. Suppose that P40 is the first one with multiple solutions. Then, excusing 1-off errors in my description, suexg does this:
	count solutions for P80 : answer=1 count solutions for P79 : answer=1 count solutions for P78 : answer=1
	count solutions for P41 : answer=1 count solutions for P40 : answer>1
	which is 41 expensive calls to the solver.
	A better strategy (one of many possible better strategies)
	It is with great trepidation that I enter this discussion, but I really don't understand why the calls to the solver <i>have</i> to be expensive. Given a sub-grid of a solution grid, one implementation of my own code is:
	 does any clue value occur 6 or more times? => not minimal
	 are there fewer than eight clue values? => not minimal
	 locate, in turn, all 4- and 6-unavoidable sets in the solution grid and check that each is covered by the clues in question, otherwise => not minimal
	 solve for singles and some other simple logic (remember that about 80% of all 17-clue puzzles yield to this method). This will <i>either</i> find the unique solution <i>or</i> prune the search tree.
	• only if we get this far : solve by backtracking, with the search order starting in the dense regions of the sub-grid and working through to the sparse regions, stopping at the second found solution, if more than one.
	What I am trying to show here is that all calls to an <i>optimized</i> solver are not equal, so statements about speed improvements require some tests. But maybe <i>suexg</i> is not optimized.
	Regards,
	Mike Metcalf
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denis_berthier	D Posted: Mon Sep 21, 2009 6:28 am Post subject:
Joined: 19 Jun 2007 Posts: 814 Location: Paris, France	Mike, Glad to see you join this discussion.
	Needless to say I plainly agree with your comments.
	Considering you have a different top-down generator, would it be easy to modify it into a controlled-bias one - along the same lines as suexgx.x was?
	It would be interesting to compare the computation times, the mean number of



