

let R_k be the k th sequential right-hand link established in a braid which has not yet concluded.
 Assume that as a next step, there are numerous possible nrc-links available (both from earlier R-links and from R_k).
 Assume that in the cells in which reside the resulting L-links there remains more than one possibility for an R-link (ie more than one cell for which incoming nrc-links exist).
 Then arbitrary choice will determine the $k+1$ th R-link in this sequence.
 From your above comment however, I think you intend sequentiality to mean something stronger.
 Could you clarify this for me ?

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denis_berthier

Posted: Thu Nov 26, 2009 6:18 am Post subject:

Aran,

Joined: 19 Jun 2007
 Posts: 1085
 Location: Paris, France

By sequentiality, I mean that a braid is first of all a SEQUENCE of candidates: $L_1 R_1 L_2 R_2 L_3 R_3 \dots$
 I mean no more but also no less.
 In a sense, once an nrc discontinuity has been allowed to find some L_k (in general there are few discontinuities in the braids), it (i.e. the discontinuity) can be considered as a break in the sequence. If a link is displayed as $R_k - L_{k+1}$ is known to be an nrc-link in a whip but may mean an nrc-link to Z or to some previous RI in a braid. Which of Z or an RI it is, this can be determined by the context.
 Conversely, if the order of the sequence is lost, there's no way it can be reconstructed.

When you have built a partial braid $[k]$ upto R_k and you're trying to build the next $L_{k+1} R_{k+1}$, if you find some L_{k+1} such that there exist several possible R_{k+1}

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Pisaacson

Posted: Fri Nov 27, 2009 12:45 pm Post subject:

Denis,

Joined: 02 Jul 2008
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The difficulty (at least for me) with braids is not in the generation of them, but in the presentation of them and in obtaining an absolutely correct length calculation for them. Braids while being limited to the operations available within C/C++. It must be nice to just write a logical rule and let the CLIPS interpreter do its thing...

For me, the simplest approach was to take my standard BFS tree walk, and then modify the various exit points and zt promotion code to take advantage of an efficient way to generate various strands (as I call them) are generated in parallel and need to be re-assembled in order to display the correct braid structure/sequence.

Think of a tree stemming from a given z-target (assumed true) at level 0. All the asserted false nrc linked children of the z-target appear at level 1 from the BFS. As the tree grows, the children become strong linked. At each even level in my braids code, children can be zt promoted from all the accumulated prior truths. This also means that all prior truths are strong linked.

This was a fairly simple change to apply to my nrczt generation algorithm, and it does indeed rapidly find braids which solve puzzles beyond the ability of standard algorithms. In C/C++, it requires a fairly sophisticated algorithm to correct track all the dependencies, to correctly "weave" the strands to compute the correct braid structure/sequence.

I believe I am at that point, or very nearly there. I'm still validating my tests against the sudogen0_1m collection, but preliminary indications are that braids produced a smaller score for at least some puzzles.

Cheers,
 Paul

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denis_berthier

Posted: Fri Nov 27, 2009 7:22 pm Post subject:

Hi Paul,

Joined: 19 Jun 2007
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Pisaacson wrote:

The difficulty (at least for me) with braids is not in the generation of them, but in the presentation of them and in obtaining an absolutely correct length calculation for them.

I think you meet such difficulties because your generation process is intrinsically flawed. As long as you'll think in terms of nets and of BFS, it will be flawed. Braids are a different way to generate candidates.

Pisaacson wrote:

It must be nice to just write a logical rule and let the CLIPS interpreter do its thing...

It would be nice if it was so simple. But if I don't add some optimisations, I'm quickly caught in a big memory explosion.

Pisaacson wrote:

I'm still validating my tests against the sudogen0_1m collection, but preliminary indications are that braids produced a smaller score for at least some puzzles.

Utterly unlikely. You should take the first such examples and check all their "braids".

Pisaacson wrote:

There are 464 cases in which braids scored higher than my nrczt chains/whips scores

Impossible, of course, for a correct implementation.

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denis_berthier

Posted: Sun Nov 29, 2009 6:31 am Post subject:

Joined: 19 Jun 2007
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Improved nrc notation

I have devised an improved version of (the strict version of) the nrc notation.
 It allows a very uniform presentation of all the 2D or 3D chains/whips/braids.

And it stresses more than before the complementarity between the two possible views of chains: sequences of cells vs sequences of candidates.

As usual, each pattern is prefixed by its name and length.

Chains/whips/braids are still displayed as sequences A1 - A2 - A3 - ...

where each Ai is a pair of bivalued/bilocal candidates (modulo z and/or t)

Each Ai is now written systematically in the form 2D-cell{Li Ri}, where:

- "2D-cell" is some explicitly named rc-, rn-, cn- or bn- cell; this cell is bivalued (or bivalued modulo the target and/or the previous right-linking candidates);

- {Li Ri} is the couple of values in the previous rc, rn, cn or bn cell; additional z or t candidates can be added in these cells, in an unchanged manner, with the #

- if 2D-space = bn, then the block now appears explicitly, but Li and Ri are still written in the "rc style": r1c1, r2c2... ; putting instead a coordinate internal to the candidates;

- for whips or braids, the final inexistent a2 is still represented by a dot; as the final 2D-space, in which the contradiction occurs, appears at the end, it becomes

Notice that for 2D chains (xy, hxy,...), this new convention reverses the old order of each element, which was {Li Ri}2D-cell.

An example (the hardest puzzle in the controlled-bias suexg-cb collection of ~ 250,000 minimal puzzles) will illustrate this better than long comments.

Code:

```
+-----+-----+-----+
| 5 . . | . . . | . 7 2 |
| . . 4 | . 2 . | . . . |
| . 8 . | 1 . 5 | 6 . . |
+-----+-----+-----+
| . . . | . . 9 | 4 . . |
| . . 3 | . . . | . 9 8 |
| 2 . . | . 3 . | 7 . . |
+-----+-----+-----+
| . 1 . | 3 . . | 9 . . |
| . 2 6 | 9 1 . | . 5 . |
| . . . | . 5 6 | . . . |
+-----+-----+-----+
```

Code:

```
***** SudoRules version 13.7wter *****
5.....72..4.2.....8.1.56.....94....3....982...3.7...1.3..9...2691..5.....56...
singles ==> r3c3 = 2, r7c3 = 5
interaction row r1 with block b2 for number 4 ==> r3c5 <> 4
nrc-chain[2] r4n2{c4 c8} - r7n2{c8 c6} ==> r9c4 <> 2
hidden-single-in-block b8 ==> r7c6 = 2
nrczt-whip[3] r4n3{c8 c9} - r8n3{c9 c1} - r3n3{c1 .} ==> r9c8 <> 3
nrczt-whip[3] c7n5{r2 r5} - b6n2{r5c7 r4c8} - c8n3{r4 .} ==> r2c7 <> 3
nrczt-whip[3] c7n3{r8 r1} - r3n3{c9 c1} - b7n3{r9c1 .} ==> r9c9 <> 3
nrczt-whip[5] r8c7{n8 n3} - r1c7{n3 n1} - r1c3{n1 n9} - r2n9{c2 c9} - r2n5{c9 .} ==> r2c7 <> 8
nrczt-whip[6] r3n7{c1 c5} - c6n7{r2 r5} - c6n1{r5 r6} - r6c8{n1 n6} - r7n6{c8 c9} - r7n7{c9 .} ==> r8c1 <> 7
nrczt-whip[7] r3n7{c1 c5} - r7n7{c5 c9} - r7n6{c9 c8} - r6c8{n6 n1} - r4n1{c9 c3} - r1c3{n1 n9} - c5n9{r1 .}
nrczt-whip[8] r8c7{n8 n3} - r1c7{n3 n1} - r2n1{c9 c1} - r1c3{n1 n9} - c1n9{r3 r9} - c1n3{r9 r3} - r3n7{c1 c5}
nrczt-whip[9] c4n2{r4 r5} - b6n2{r5c7 r4c8} - r4n3{c8 c9} - r4n5{c9 c2} - c4n5{r4 r6} - c9n5{r6 r2} - c9n9{r
nrczt-whip[10] b1n7{r3c1 r2c2} - c6n7{r2 r8} - c4n7{r9 r4} - r4n2{c4 c8} - r4n3{c8 c9} - r8c9{r3 n4} - r3c9{
nrczt-whip[11] c4n2{r4 r5} - b6n2{r5c7 r4c8} - r4n3{c8 c9} - r4n5{c9 c2} - r5n5{c2 c7} - c9n5{r6 r2} - c9n9{r
nrczt-whip[11] b1n7{r3c1 r2c2} - b2n7{r2c6 r3c5} - b8n7{r7c5 r8c6} - r5n7{c6 c4} - r5n2{c4 c7} - r5n5{c7 c2}
nrczt-whip[12] c3n7{r9 r4} - c2n7{r5 r2} - r3n7{c1 c5} - c4n7{r2 r5} - r5n2{c4 c7} - r5n5{c7 c2} - r4c2{n5 n4}
nrczt-whip[9] r6c8{n6 n1} - c6n1{r6 r5} - r5c1{n1 n4} - b7n4{r9c1 r9c2} - r9c9{n4 n1} - r6c9{n1 n5} - c7n5{r
nrczt-whip[9] c6n1{r5 r6} - r6c8{n1 n6} - r7n6{c8 c9} - c9n7{r7 r8} - r8c6{n7 n8} - c7n8{r8 r1} - c5n8{r1 r4}
nrczt-whip[11] r3c8{n3 n4} - r3c9{n4 n9} - r3c5{n9 n7} - r2c6{n7 n8} - r2c8{n8 n1} - r6c8{n1 n6} - r7n6{c8 c
nrczt-whip[11] r6c8{n6 n1} - r6c9{n1 n5} - r6n6{c9 c4} - c5n6{r5 r1} - c5n9{r1 r3} - c9n9{r3 r2} - r2n5{c9 c
nrczt-whip[11] r6c8{n6 n1} - r6c9{n1 n5} - b6n6{r6c9 r4c8} - c5n6{r4 r1} - c5n9{r1 r3} - c9n9{r3 r2} - r2n5{
interaction row r6 with block b6 for number 6 ==> r4c8 <> 6
[b]nrczt-whip[13] c9n9{r2 r3} - r3c5{n9 n7} - b1n7{r3c1 r2c2} - b1n6{r2c2 r1c2} - r4c2{n6 n5} - r5c2{n5 n4}
nrc-chain[12] r2n9{c9 c2} - r6n9{c2 c3} - r1n9{c3 c5} - r3c5{n9 n7} - r2n7{c4 c1} - r3c1{n7 n3} - c2n3{r1 r
nrczt-whip[5] b3n8{r1c7 r2c8} - c8n3{r2 r4} - b6n2{r4c8 r5c7} - c7n5{r5 r2} - b3n1{r2c7 .} ==> r1c7 <> 3
interaction column c7 with block b9 for number 3 ==> r8c9 <> 3
nrczt-whip[8] c1n9{r9 r3} - r1c3{n9 n1} - r1c7{n1 n8} - r8c7{n8 n3} - c1n3{r8 r2} - b1n7{r2c1 r2c2} - r2c6{n
nrc-chain[9] r9c9{n1 n4} - r8c9{n4 n7} - r7c9{n7 n6} - r7c8{n6 n8} - b3n8{r2c8 r1c7} - c5n8{r1 r4} - c1n8{r
nrc-chain[3] c9n1{r9 r4} - r4n3{c9 c8} - c8n2{r4 r9} ==> r9c8 <> 1
nrczt-whip[10] c7n8{r1 r8} - b8n8{r8c6 r7c5} - b7n8{r7c1 r9c3} - c3n7{r9 r4} - r4c5{n7 n6} - r1n6{c5 c2} - r
nrczt-whip[10] c9n9{r2 r3} - r3n4{c9 c8} - r3n3{c8 c1} - c1n9{r3 r9} - b7n3{r9c1 r9c2} - r1c2{n3 n6} - r1c4{
singles ==> r2c9 = 9, r2c7 = 5
naked-pairs-in-a-block b3{r3c8 r3c9}{n3 n4} ==> r2c8 <> 3
interaction block b3 with row r3 for number 3 ==> r3c1 <> 3
nrc-chain[3] r5c6{n7 n1} - r5c7{n1 n2} - c4n2{r5 r4} ==> r4c4 <> 7
nrc-chain[5] r6c9{n5 n6} - r6c8{n6 n1} - r2n1{c8 c1} - r1c3{n1 n9} - b4n9{r6c3 r6c2} ==> r6c2 <> 5
nrczt-whip[5] r3n7{c1 c5} - r7n7{c5 c9} - r7n6{c9 c8} - r6c8{n6 n1} - r2n1{c8 .} ==> r2c1 <> 7
nrczt-whip[6] c3n7{r4 r9} - r7n7{c1 c9} - c9n6{r7 r6} - c9n5{r6 r4} - c2n5{r4 r5} - r5n7{c2 .} ==> r4c5 <> 7
interaction row r4 with block b4 for number 7 ==> r5c2 <> 7
nrczt-whip[6] b3n8{r1c7 r2c8} - r7n8{c8 c1} - r4n8{c1 c3} - r4c5{n8 n6} - r4c1{n6 n1} - r2n1{c1 .} ==> r1c5
nrc-chain[4] r1n8{c6 c7} - r2c8{n8 n1} - r1n1{c7 c3} - r6n1{c3 c6} ==> r6c6 <> 8
nrczt-whip[5] c4n2{r5 r4} - c4n5{r4 r6} - r6n4{c4 c2} - r6n9{c2 c3} - r6n8{c3 .} ==> r5c4 <> 4
nrc-chain[6] c6n3{r2 r1} - r1n8{c6 c7} - r1n1{c7 c3} - r2n1{c1 c8} - r6n1{c8 c6} - r5c6{n1 r7} ==> r2c6 <>
swordfish-in-rows n7{r2 r4 r9}{c4 c2 c3} ==> r5c4 <> 7
nrc-chain[5] c9n6{r7 r6} - r6c8{n6 n1} - c6n1{r6 r5} - c6n7{r5 r8} - r8c9{n7 n4} ==> r7c9 <> 4
nrc-chain[5] r6c8{n1 n6} - c9n6{r6 r7} - b9n7{r7c9 r8c9} - c6n7{r8 r5} - b5n1{r5c6 r6c6} ==> r6c3 <> 1
nrc-chain[2] c3n1{r4 r1} - r2n1{c1 c8} ==> r4c8 <> 1
nrczt-whip[5] c5n8{r4 r7} - r8n8{c6 c7} - r1c7{n8 n1} - r1c3{n1 n9} - r6c3{n9 .} ==> r4c1 <> 8
interaction column c1 with block b7 for number 8 ==> r9c3 <> 8
nrc-chain[3] r9c3{n7 n9} - c1n9{r9 r3} - c1n7{r3 r7} ==> r9c2 <> 7
```

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nrc-chain[3] r9c3{n9 n7} - c1n7{r7 r3} - c1n9{r3 r9} ==> r9c2 <> 9
hxyt-cn-chain[4] c4n7{r2 r9} - c3n7{r9 r4} - c3n8{r4 r6} - c4n8{r6 r2} ==> r2c4 <> 6
interaction row r2 with block b1 for number 6 ==> r1c2 <> 6
naked-triplets-in-a-column c2{r1 r6 r9}{n3 n9 n4} ==> r5c2 <> 4, r2c2 <> 3
nrc-chain[3] b4n4{r5c1 r6c2} - r6n9{c2 c3} - r9n9{c3 c1} ==> r9c1 <> 4
nrc-chain[4] c2n4{r9 r6} - b4n9{r6c2 r6c3} - r6n8{c3 c4} - r9n8{c4 c8} ==> r9c8 <> 4
nrct-chain[4] r2c4{n7 n8} - c6n8{r2 r8} - b7n8{r8c1 r7c1} - b7n7{r7c1 r9c3} ==> r9c4 <> 7
singles ==> r2c4 = 7, r3c5 = 9, r3c1 = 7, r2c2 = 6, r5c2 = 5, r4c2 = 7, r9c3 = 7, r9c1 = 9
interaction block b2 with column c6 for number 8 ==> r8c6 <> 8
naked-pairs-in-a-row r8{c6 c9}{n4 n7} ==> r8c1 <> 4
naked-pairs-in-a-block b2{r1c4 r1c5}{n4 n6} ==> r1c6 <> 4
nrc-chain[2] c6n4{r8 r6} - c2n4{r6 r9} ==> r9c4 <> 4
singles
GRID 0 SOLVED. LEVEL = NRCZT13, MOST COMPLEX RULE = NRCZT13
539468172
164723589
782195643
671289435
453671298
298534716
815342967
326917854
947856321

```

Remarks:

- this change (not yet implemented for braids in SudoRules) entails some additional load on time and memory; I may therefore use both this (slightly modified)
- for subset rules, the various defining elements are written in the natural quantification order;
- there is no change in the definition of the rules; this is only a matter of presentation.

[Edit 12/15/09 : corrected an error in the function displaying large whips]

Last edited by denis_berthier on Tue Dec 15, 2009 5:39 am; edited 1 time in total

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denis_berthier

Posted: Mon Nov 30, 2009 7:36 am Post subject:

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Posts: 1085

Location: Paris, France

Here is a second example of the new version of the nrc notation : the hardest (in the NRCZT sense) puzzle in the gsf-cb collection of 5,926,343 controlled-bias I don't plan to give too many examples, but it is interesting to see, on a few hard cases, how compact the nrc notation is.

The shape of the solution path gives a rough idea of how the difficulty varies with time.

Code:

```

+-----+-----+-----+
| 1 . . | . 5 . | . . 9 |
| . . . | 7 . . | . 3 . |
| 8 7 . | . . . | . . 4 |
+-----+-----+-----+
| . . 8 | . . . | . . . |
| 5 3 . | . 9 . | 6 . . |
| . . . | 3 . 2 | 4 . . |
+-----+-----+-----+
| . 6 . | . . 4 | 8 . . |
| . . 5 | 9 . . | 3 1 . |
| . . 1 | . . . | . . . |
+-----+-----+-----+

```

Code:

```

***** SudoRules version 13.7wter *****
1...5...9...7...3.87.....4..8.....53..9.6.....3.24...6...48...59..31...1.....
singles ==> r4c9 = 3, r2c2 = 5, r9c8 = 4
interaction column c1 with block b7 for number 3 ==> r7c3 <> 3
interaction row r6 with block b6 for number 5 ==> r4c8 <> 5, r4c7 <> 5
interaction column c8 with block b3 for number 6 ==> r2c9 <> 6
nrc-chain[2] b2n4{r2c5 r1c4} - r5n4{c4 c3} ==> r2c3 <> 4
nrczt-whip[2] c2n9{r6 r9} - c7n9{r9 .} ==> r4c1 <> 9
nrczt-whip[4] r7n1{c5 c4} - r3n1{c4 c7} - c7n5{r3 r9} - b8n5{r9c6 .} ==> r2c5 <> 1
nrczt-whip[12] r3n9{c6 c3} - c3n3{r3 r1} - r1c6{r3 n8} - r8c6{r8 n7} - r5c6{r7 n1} - r2c6{r1 n9} - r2n8{c6 c9} - c9n1{r2
nrczt-whip[14] r2n4{c5 c1} - c3n4{r1 r5} - c2n4{r4 r8} - r1c2{r4 n2} - b4n2{r4c2 r4c1} - r8n2{c1 c9} - c7n2{r9 r3} - c7n5
nrczt-whip[10] r5n2{c9 c3} - c3n4{r5 r1} - r1c2{r4 n2} - r2n2{c1 c9} - b3n8{r2c9 r1c8} - c8n2{r1 r7} - b9n9{r7c8 r9c7} -
nrczt-whip[8] b9n9{r7c8 r9c7} - c7n5{r9 r3} - c8n5{r3 r6} - c8n9{r6 r4} - c2n9{r4 r6} - c2n1{r6 r4} - r4c7{r1 n7} - c9n7
nrczt-whip[7] b9n7{r7c9 r9c7} - b9n9{r9c7 r7c8} - r4c8{r9 n2} - r5n2{c9 c3} - c3n4{r5 r1} - r1c2{r4 n2} - r1c7{r2 .} ==>
nrczt-whip[7] b9n7{r7c9 r9c7} - b9n9{r9c7 r7c8} - r4c8{r9 n2} - r5n2{c9 c3} - c3n4{r5 r1} - r1c2{r4 n2} - r1c7{r2 .} ==>
interaction column c9 with block b9 ==> r9c7 <> 7
nrczt-whip[10] b2n2{r3c4 r1c4} - c7n2{r1 r9} - b9n9{r9c7 r7c8} - r4c8{r9 n7} - r5c8{r7 n8} - c4n8{r5 r9} - r9c2{r8 n9} -
nrczt-whip[10] r3c8{r6 n5} - r6n5{c8 c9} - b9n5{r9c9 r9c7} - c6n5{r9 r4} - b5n6{r4c6 r4c4} - c4n5{r4 r7} - r7n1{c4 c5} -
nrczt-whip[14] r1c2{r2 n4} - c3n4{r1 r5} - r5n2{c3 c9} - b9n2{r9c9 r9c7} - c7n9{r9 r4} - r4c8{r9 n7} - r5c8{r7 n8} - r5c4
nrczt-whip[14] r1c2{r2 n4} - c3n4{r1 r5} - b4n2{r5c3 r4c2} - c2n1{r4 r6} - c2n9{r6 r9} - c7n9{r9 r4} - c7n7{r4 r1} - b3n2
nrczt-whip[13] c7n5{r3 r9} - c7n9{r9 r4} - c7n1{r4 r2} - r2n2{c7 c3} - r1c2{r2 n4} - c3n4{r1 r5} - c4n4{r5 r4} - r4n5{c4
nrczt-whip[11] r3c8{r6 n5} - r6n5{c8 c9} - r7n5{c9 c4} - r9n5{c6 c7} - r3c7{r5 n1} - b6n1{r4c7 r5c9} - c4n1{r5 r4} - c6n1
nrczt-whip[13] b2n4{r2c5 r1c4} - r5n4{c4 c3} - c2n4{r4 r8} - r1c2{r4 n2} - c3n2{r3 r7} - c3n7{r7 r6} - c3n6{r6 r1} - r1n3
[b]nrczt-whip[16] r1c2{r2 n4} - c3n4{r1 r5} - c4n4{r5 r4} - c1n4{r4 r8} - r8c2{r4 n8} - r9c2{r8 n9} - b9n9{r9c7 r7c8} - r
2{/b]
nrczt-whip[14] r8n4{c1 c2} - c2n8{r8 r9} - c2n2{r9 r1} - b1n4{r1c2 r1c3} - r5n4{c3 c4} - c4n8{r5 r1} - r2n8{c6 c9} - r2n2
nrc-chain[3] b7n4{r8c1 r8c2} - b4n4{r4c2 r5c3} - b4n2{r5c3 r4c1} ==> r8c1 <> 2
nrczt-whip[10] b4n2{r4c1 r5c3} - b4n4{r5c3 r4c2} - r8c2{r4 n8} - c2n2{r8 r1} - r9c2{r2 n9} - r9c7{r9 n5} - b8n5{r9c6 r7c4

```

```

nrczt-whip[10] r6n5{c8 c9} - r6n8{c9 c5} - r6n1{c5 c2} - b4n9{r6c2 r4c2} - b4n4{r4c2 r5c3} - r5c4{n4 n1} - c9n1{r5 r2} -
interaction row r6 with block b4 for number 9 ==> r4c2 <> 9
nrc-chain[3] b4n1{r4c2 r6c2} - c2n9{r6 r9} - c7n9{r9 r4} ==> r4c7 <> 1
interaction column c7 with block b3 for number 1 ==> r2c9 <> 1
nrczt-whip[6] c9n1{r5 r6} - c2n1{r6 r4} - b4n4{r4c2 r5c3} - r5c4{n4 n8} - r6n8{c5 c8} - r6n5{c8 .} ==> r5c6 <> 1
nrczt-whip[5] r2n6{c1 c6} - c6n9{r2 r3} - c6n1{r3 r4} - r4c2{n1 n4} - c3n4{r5 .} ==> r1c3 <> 6
interaction block b1 with row r2 for number 6 ==> r2c6 <> 6
nrczt-whip[5] r5n1{c9 c4} - b5n8{r5c4 r6c5} - r2n8{c5 c6} - c6n9{r2 r3} - c6n1{r3 .} ==> r5c9 <> 8
nrczt-whip[5] c6n9{r3 r2} - c6n1{r2 r4} - r4c2{n1 n4} - c3n4{r5 r1} - r1n3{c3 .} ==> r3c6 <> 3
nrczt-whip-cn[5] n9{r2c6 r3c6} - n1{r3c6 r4c6} - {n1 n4}r4c2 - n4{r5c3 r5c4} - {n8r5c4 .} ==> r2c6 <> 8
naked-pairs-in-a-block b2{r2c6 r3c6}{n1 n9} ==> r3c5 <> 1, r3c4 <> 1
interaction block b2 with column c6 for number 1 ==> r4c6 <> 1
nrc-chain[4] r3c4{n2 n6} - r3c8{n6 n5} - c7n5{r3 r9} - b8n5{r9c6 r7c4} ==> r7c4 <> 2
nrc-chain[4] r3c4{n2 n6} - r3c8{n6 n5} - c7n5{r3 r9} - r9c4{n5 n2} ==> r1c4 <> 2
interaction block b2 with row r3 for number 2 ==> r3c3 <> 2
nrc-chain[5] c6n3{r9 r1} - r3n3{c5 c3} - r3n9{c3 c6} - r3n1{c6 c7} - c7n5{r3 r9} ==> r9c6 <> 5
hidden-single-in-column c6 ==> r4c6 = 5
nrc-chain[4] r3c5{n3 n2} - c4n2{r3 r9} - c4n5{r9 r7} - b8n1{r7c4 r7c5} ==> r7c5 <> 3
singles ==> r7c1 = 3, r4c1 = 2, r5c8 = 2, r7c8 = 9, r4c8 = 7, r4c7 = 9, r1c7 = 7
interaction row r1 with block b1 for number 2 ==> r2c3 <> 2
interaction row r4 with block b5 for number 6 ==> r6c5 <> 6
xyz-chain[3] r1c8{n8 n6} - r1c4{n6 n4} - r2c5{n4 n8} ==> r1c6 <> 8
hidden-pairs-in-a-block b2{r1c4 r2c5}{n4 n8} ==> r1c4 <> 6
naked-pairs-in-a-column c4{r1 r5}{n4 n8} ==> r4c4 <> 4
x-wing-in-columns n4{c3 c4}{r1 r5} ==> r1c2 <> 4
singles ==> r1c2 = 2, r7c3 = 2
interaction column c3 with block b4 for number 7 ==> r6c1 <> 7
naked-pairs-in-a-column c5{r6 r7}{n1 n7} ==> r9c5 <> 7, r8c5 <> 7, r4c5 <> 1
nrc-chain[3] r8c2{n8 n4} - c1n4{r8 r2} - r2c5{n4 n8} ==> r8c5 <> 8
xy-chain[3] r1c6{n6 n3} - r3c5{n3 n2} - r8c5{n2 n6} ==> r9c6 <> 6, r8c6 <> 6
singles
GRID 0 SOLVED. LEVEL = NRCZT16, MOST COMPLEX RULE = NRCZT16
123456789
456789132
879231564
218645973
534897621
697312458
362174895
745928316
981563247

```

Last edited by denis_berthier on Tue Dec 15, 2009 5:33 am; edited 1 time in total

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ronk

Posted: Mon Nov 30, 2009 9:35 am Post subject:

denis_berthier wrote:

```

...
the new version of the nrc notation
...
nrczt-whip[16] r1c2{n2 n4} - c3n4{r1 r5} - c4n4{r5 r4} - c1n4{r4 r8} - r8c2{n4 n8} - r9c2{n8 n9} - b9n9{r9c7 r7c8} - r4c8{n9 n7} - r4c1

```

I like that a lot better -- especially since it looks more like the notation in one of my posts earlier this month. 😊

here ronk wrote:

```

There's always some ambiguity when all cells are in a box-line intersection. For some reason, it's a bit more troublesome when in the last truth
r1c3<>5 nrc[18]-whip n5b4{a6 a8} - n6b4{a8 a6} - n6c5{r5 r2} - n6c8{r2 r7} - n6r8{r8 r8} - {n6 n3}r1c2 - {n3 n9}r1c9 - {n9 n2}r1c4 -

```

I see a typo in that, but you'll see the similarity anyway.

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denis_berthier

Posted: Mon Nov 30, 2009 9:50 am Post subject:

ronk wrote:

```

I like that a lot better -- especially since it looks more like the notation in one of my posts earlier this month.

```

Very good.

I hadn't noticed but I willingly grant you the priority for this form of explicitly writing the blocks. 😊

Notice however that I don't use the internal coordinates in blocks, for the reasons mentioned in my post.

As for the explicit mentioning of the rc, rn, cn and bn spaces, it was already part of the previous strict version of the notation. The main reason I seldom used t

Notice also that there was no ambiguity in the last cell, as the whips were named whip-rc, whip-rn, ...

I'll take this opportunity to recall that other people have taken part in improving the nrc notation:

- David suggested to replace upper case letters by lower case;
- Paul introduced the square brackets at the end of the whips to write their length, as in whip[4]

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PIsaacson

Posted: Mon Nov 30, 2009 9:50 pm Post subject:

Denis & Ron,

Joined: 02 Jul 2008

Posts: 344

Location: Campbell, CA

I think changing the notation makes sense, especially if the prefix is listed in Allan's syntax: rNc dRr dCc dBb. That way, there's no conversion required when ad (RC/RN/CN/BN) that define the line/truth expressed by the prefix. I also prefer Ron's use of offsets within a box instead of expressing them as separate RnCc

Code:

- 1) RC space 1r2c3 to 4r2c3 as 2n3{n1 n4} - or would it "look better" as 2n3{d1 d4}???
- 2) RN space 1r2c3 to 1r2c8 as 1r2{c3 c8}
- 3) CN space 1r2c3 to 1r8c3 as 1c3{r2 r8}
- 4) BN space 1r2c3 to 1r3c2 as 1b1{a6 a8} - using Ron's "a" instead of my "x" for offsets within a box

Sorry for the delayed input/opinion, but everyone's got one! 😊

Cheers,
Paul

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PiIsaacson

Posted: Tue Dec 01, 2009 3:03 am Post subject:

As a demonstration of a tentative Allan Barker SLG-esk nrczt notation, here's a comparison solution log from the above example taken from the suexg-cb 250K

Joined: 02 Jul 2008
Posts: 344
Location: Campbell, CA

```

Code:
5.....72..4.2.....8.1.56.....94....3....982...3.7...1.3..9...2691..5.....56...

5      369      19      |468      4689      348      |138      7      2
13679  3679      4      |678      2      378      |1358     138     1359
379     8      279     |1      479     5      |6      34     349
-----+-----+-----
1678    567     1578    |25678     678     9      |4      1236    1356
1467    4567     3      |24567     467     1247    |125      9      8
2      4569     1589    |4568     3      148     |7      16     156
-----+-----+-----
478     1      578     |3      478     2478    |9      2468    467
3478    2      6      |9      1      478     |38      5      347
34789   3479     789     |2478     5      6      |1238     12348   1347

1) r3c3 <= 2 hidden single in b1
2) r7c3 <= 5 hidden single in r7
3) r3c5 <> 4 pointing pair b3/r3
4) r5c6 <> 2 nrc[02]-chain r4n2{c4 c8} - r7n2{c8 c6}
5) r7c6 <= 2 hidden single in c6
6) r9c8 <> 3 nrc[03]-whip r4n3{c8 c9} - r8n3{c9 c1} - r3n3{c1 c8}
7) r9c9 <> 3 nrc[03]-whip r4n3{c9 c8} - r3n3{c8 c1} - c2n3{r1 r2}
8) r2c7 <> 3 nrc[03]-whip c7n5{r2 r5} - b6n2{57 48} - c8n3{r4 r2}
9) r2c7 <> 8 nrc[05]-chain r8c7{d8 d3} - r1c7{d3 d1} - r1c3{d1 d9} - r2n9{c1 c9} - r2n5{c9 c7}
10) r8c1 <> 7 nrc[06]-whip r3n7{c1 c5} - r7n7{c5 c9} - r7n6{c9 c8} - r6c8{d6 d1} - c6n1{r6 r5} - c6n7{r5 r8}
11) r4c1 <> 7 nrc[07]-whip r3n7{c1 c5} - r7n7{c5 c9} - r7n6{c9 c8} - r6c8{d6 d1} - r4n1{c8 c3} - r1c3{d1 d9}
12) r9c7 <> 8 nrc[08]-whip r8c7{d8 d3} - r1c7{d3 d1} - r1c3{d1 d9} - c5n9{r1 r3} - r3n7{c5 c1} - c1n9{r3 r9}
13) r4c4 <> 6 nrc[09]-whip c4n2{r4 r5} - b6n2{57 48} - r4n3{c8 c9} - r4n5{c9 c2} - c4n5{r4 r6} - c9n5{r6 r2}
14) r5c1 <> 7 nrc[10]-whip r2n7{c1 c2} - c6n7{r2 r8} - c4n7{r9 r4} - r4n2{c4 c8} - r4n3{c8 c9} - r8c9{d3 d4}
15) r4c4 <> 8 nrc[11]-whip c4n2{r4 r5} - c4n5{r5 r6} - r6n8{c4 c3} - r6n9{c3 c2} - r6n4{c2 c6} - c6n1{r6 r5}
16) r9c1 <> 7 nrc[11]-whip r2n7{c1 c2} - b2n7{24 35} - b8n7{75 86} - r5n7{c6 c4} - r5n2{c4 c7} - r5n5{c7 c2}
17) r9c9 <> 7 nrc[12]-whip r8n7{c9 c6} - r7n7{c5 c1} - r2n7{c1 c2} - r4n7{c2 c3} - c4n7{r4 r5} - r5n2{c4 c7}
18) r2c9 <> 3 nrc[12]-chain r4n3{c9 c8} - r3n3{c8 c1} - r3n7{c1 c5} - r2c6{d7 d8} - r2c8{d8 d1} - r6c8{d1 d6}
19) r5c6 <> 4 nrc[09]-whip c6n1{r5 r6} - r6c8{d1 d6} - r7n6{c8 c9} - c9n7{r7 r8} - r8c6{d7 d8} - c7n8{r8 r1}
20) r6c2 <> 6 nrc[09]-whip r6c8{d6 d1} - c6n1{r6 r5} - r5c1{d1 d4} - b7n4{81 92} - r9c9{d4 d1} - r6c9{d1 d5}
21) r4c8 <> 6 nrc[11]-whip r7n6{c8 c9} - r6n6{c9 c4} - c5n6{r4 r1} - c5n9{r1 r3} - r3n7{c5 c1} - r7n7{c1 c5}
22) r4c9 <> 6 nrc[12]-whip r7n6{c9 c8} - r6c8{d6 d1} - r6c9{d1 d5} - r6n6{c9 c4} - c5n6{r4 r1} - c5n9{r1 r3}
23) r6c4 <> 6 nrc[01]-whip c8n6{r6 r4}
24) r1c7 <> 3 nrc[13]-whip r3n3{c8 c1} - c2n3{r1 r9} - r8n3{c1 c9} - r8n7{c9 c6} - r9n7{c4 c3} - c1n7{r7 r2}
25) r2c1 <> 7 nrc[13]-whip b2n7{24 35} - r7n7{c5 c9} - r7n6{c9 c8} - r6c8{d6 d1} - c6n1{r6 r5} - c1n1{r5 r4}
26) r2c1 <> 9 nrc[12]-whip r1n9{c2 c5} - r3c5{d9 d7} - r2n7{c4 c2} - c2n6{r2 r1} - r4c2{d6 d5} - r5c2{d5 d4}
27) r2c2 <> 9 nrc[03]-whip r1n9{c2 c5} - r3c5{d9 d7} - r2n7{c4 c1}
28) r2c9 <= 9 hidden single in r2
29) r2c7 <= 5 hidden single in b3
30) r8c9 <> 3 claiming pair b9/c7
31) r2c8 <> 3 naked subset[2] r3c89.<34>
32) r3c1 <> 3 naked subset[2] r3c89.<34>
33) r1c2 <> 9 nrc[12]-whip c5n9{r1 r3} - r3n7{c5 c1} - c1n9{r3 r9} - c3n9{r9 r6} - r1c3{d9 d1} - r1c7{d1 d8}
34) r1c4 <> 8 nrc[10]-whip c7n8{r1 r8} - c6n8{r8 r6} - r2n8{c6 c8} - b3n1{28 17} - r1c3{d1 d9} - r6n9{c3 c2}
35) r1c5 <> 8 nrc[10]-whip r1n9{c5 c3} - r1n1{c3 c7} - c7n8{r1 r8} - c6n8{r8 r6} - r6c3{d8 d1} - r6n9{c3 c2}
36) r1c6 <> 3 nrc[10]-whip r1c2{d3 d6} - c4n6{r1 r2} - r2n8{c4 c6} - r2n7{c6 c2} - r4n7{c2 c3} - r9n7{c3 c4}
37) r1c2 <= 3 hidden single in r1
38) r2c6 <= 3 hidden single in r2
39) r2c4 <> 6 pointing pair b1/r2
40) r1c3 <> 1 nrc[10]-whip b1n9{13 31} - c1n7{r3 r7} - r9n7{c2 c4} - r2c4{d7 d8} - r1c6{d8 d4} - r8c6{d4 d8}

singles from here on

539468172164723589782195643671289435453671298298534716815342967326917854947856321 puzzle 1 givens 27 nrczt 13

```

I've uploaded the *.sud file for loading into XSudo so that the chains and the logic can be compared to the solution log.

It's at <http://pisaacson.fileave.com/XSudo/suexg-cb.bin> Rename to *.sud and copy to the xsudo/puzzle directory (c:/program files/xsudo/puzzle for mingw). The elimination. Currently, I use LogicTools->Find Base/Cover Sets to get a better SLG position.

[edit] Changed the output to conform to Denis' new nrczt notation with the exception of BN notation wherein I altered the bracketed {RnCn RnCn} by dropping

Cheers,
Paul

Last edited by PIsaacson on Tue Dec 01, 2009 9:50 am; edited 1 time in total

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ronk

Posted: Tue Dec 01, 2009 3:30 am Post subject:

```

denis_berthier wrote:
- if 2D-space = bn, then the block now appears explicitly, but Li and Ri are still written in the "rc style": r1c1, r2c2... ; putting instead a coordin

```

Joined: 02 Nov 2005

Posts: 2653
Location: Southeastern
USA

with the previous and next candidates;

Pisaacson, despite my occasional usage of $b1\{a1 \dots a9\}$ in chain notaton, I've got to agree with **Denis**. It makes it more difficult for the reader. The priority change is that the strong set is now outside the curly brackets. That change makes the notaton easier to read (fewer characters for one thing) ... a

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